BAIN MUSC 336 Introduction to Computer Music

HOW DIGITAL AUDIO WORKS

"Any sound in digital form...is just a series of numbers. Any arithmetic operation performed with those numbers becomes a form of audio processing."

- Cycling '74, How Digital Audio Works

Reading

Cycling '74, MSP: How Digital Audio Works," Available online at: https://docs.cycling74.com/max8/tutorials/02 mspdigitalaudio>.

Terms & Concepts

Sound **Spectrum** (A vs. f) Units Vibrating objects Harmonic Hertz (Hz) Nearly harmonic Decibels (dB) Oscillation Atmospheric pressure Inharmonic Compression/rarefaction Closely-spaced Range of Human Hearing ca. 20 Hz to 20,000 Hz Momentum and inertia Timbre **Simple Harmonic Motion** Individual amplitude levels and **Digital Representation of** Tuning fork trajectories Sound Pendulum Instrumental tone color Continuous vs. discrete Timbral perception ADC and DAC Mathematical model Sample and hold Sine function: Harmonic series Sampling rate (44.1k, 48k, etc.) As a chord/scale of nature Clipping $y = A \sin(2\pi f t + \phi)$ Fundamental frequency Low-pass filter Integer multiples Instantaneous amplitude values Waveform (A vs. t)Partials, harmonics & overtones Resolution Amplitude: A Bit depth Harmonic partials Frequency: f - 16-bit amplitude values Fusion Phase: ϕ $-2^{16} = 65,536$ Octave Time: t Quantization Fourier theory - Staircasing Periodic waveform - Quantization error Amplitude Envelope Simple tone - Quantization noise Complex tone Stages: Attack (A), Decay (D), Signal-to-quantization noise Sustain (S) and Release (R) ratio (SONR) Unipolar vs. bipolar signal Plucked string physical model Nyquist theorem Multiple resonant modes of - Nyquist rate (R/2) Inharmonic tones and noise vibration - Aliasing, or foldover Non-integer multiples Fixed endpoints Digital signal processing (DSP) Inharmonic partials Nodes $y = A \sin(2\pi f n/R + \phi)$ White noise Length (L), density, and tension Randomness Integer divisions of L where n is the sample number Band-limited noise $(0, 1, 2, 3, \ldots),$ and *R* is the sampling rate.

$$dB = 20 \log_{10} (A/A_{ref})$$
 If $A = 0.5 & A_{ref} = 1$;
$$20 \log_{10} (0.5/1) = -6 dB$$

Reference

Cycling '74. 2021. Max 8 Documentation. Available online at: https://docs.cycling74.com/max8/.