

## Straus Chapter 2 Pitch-Class Sets

Joseph N. Straus, *Introduction to Post-Tonal Theory*, 4th ed. (New York: Norton, 2016), pp. 43-71.

“*Pitch-class sets* are the basic building blocks of much post-tonal music. A pitch-class set is an *unordered collection of pitch classes*...a motive from which many of the identifying characteristics—register, rhythm, order—have been boiled away.”

– Joseph N. Straus, *Introduction to Post-Tonal Theory*

### TERMS & CONCEPTS

<p><b>Pitch-Class Set</b>                  Pitch-class set, abbr. <i>pc set</i>                  Set notation:</p> <ul style="list-style-type: none"> <li>• Staff notation</li> <li>• Letter notation</li> <li>• Integer notation</li> </ul> <p style="margin-left: 20px;"><b>ex.</b> (B, G<math>\sharp</math>, G) or (11, 8, 7)</p> <p>Set type under cardinality                  Trichord, tetrachord, pentachord, hexachord, etc.<sup>1</sup></p> <hr/> <p><b>Normal Form</b>  <i>The most compact way to notate a pc set</i>                  Normal form algorithm</p> <ul style="list-style-type: none"> <li>• Brinkman method (p. 45)</li> <li>• Rahn algorithm</li> </ul> <hr/> <p style="text-align: center;">STRAUS NOTATION  <b>ex.</b> [G, G<math>\sharp</math>, B] or [7, 8, 11]</p> <hr/> <p><b>Clockface Diagram</b>  <i>A geometric model for pc space</i>                  Polygon notation</p> <ul style="list-style-type: none"> <li>• Inscribed polygon</li> <li>• Successive-interval array</li> <li>• Cyclic interval array of the prime form (CINT)</li> </ul>	<p><b>Transposition</b>                  Pitch transposition                  Pitch-class transposition (<math>T_n</math>)</p> <ul style="list-style-type: none"> <li>• If <math>T_n(x) = y</math>, then <math>y = x + n</math>, where <math>x</math> &amp; <math>y</math> are pitch classes and <math>n</math> is the transposition number</li> <li>• Algebraic notation: <math>T_n(A) = B</math>, where <math>A</math> &amp; <math>B</math> are pc sets</li> <li>• Geometric analogy for <math>T_n</math></li> <li>• Inverse operation: <math>T_{12-n}</math></li> </ul> <p><b>Inversion</b>                  Pitch inversion                  Pitch-class inversion (<math>I</math>)</p> <ul style="list-style-type: none"> <li>• If <math>I(x) = y</math>, <math>y = 12 - x \pmod{12}</math></li> </ul> <p><math>T_n I</math>, <math>I</math>, <math>I_n</math> &amp; <math>I_n^x</math></p> <ul style="list-style-type: none"> <li>• If <math>I_n(x) = y</math>, then <math>y = n - x</math>, where <math>x</math> &amp; <math>y</math> are pitch classes and the index of inversion is the sum: <math>n = x + y</math></li> <li>• Geometric analogies for inversion</li> <li>• <math>I_n</math> is its own inverse operation</li> </ul> <p><b>Set Class</b>  <i>A family, or class, of (usually 24) pc sets related by <math>T_n/I_n</math></i>                  Set class, abbr. <i>sc</i></p> <ul style="list-style-type: none"> <li>• under <math>T_n/I_n</math></li> </ul>	<p><b>Prime Form</b>  <i>A name for the set class that begins with 0 and is most packed to the left</i>                  Prime form algorithm</p> <ul style="list-style-type: none"> <li>• Brinkman method (p. 67)</li> <li>• Rahn algorithm</li> <li>- Short-cut method</li> </ul> <hr/> <p style="text-align: center;">STRAUS NOTATION  <b>ex.</b> (014)</p> <hr/> <p><b>Set Class List</b>  <i>List of Set Classes</i> (pp. 378-81)                  Forte name                  Set class name</p> <ul style="list-style-type: none"> <li>• TE substitution:<sup>2</sup> T=10 &amp; E=11</li> </ul> <p>Set class membership</p> <ul style="list-style-type: none"> <li>• Distinct forms<sup>3</sup></li> </ul> <hr/> <p style="text-align: center;">SET CLASS NAME  <b>ex.</b> (014), sc(014), 3-3, or 3-3 (014)</p> <hr/> <p><b>Transformational Network</b>  <i>A network of relationships that model musical motion</i>                  Nodes represent objects                  Arrows represent operations                  Isographic networks</p>
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### STRAUS NOTATION

	PC set	Normal form	Forte name	Prime form	Set class	IC Vector
<b>Letter</b>	(B $\flat$ , A, C, B)	[A, B $\flat$ , B, C]	4-1	(0123)	4-1 (0123)	321000
<b>Integer</b>	(10, 9, 0, 11)	[9, 10, 11, 0]				

#### References

- Forte, Allen. 1973. *The Structure of Atonal Music*. New Haven: Yale University Press.  
 Rahn, John. 1980. *Basic Atonal Theory*. New York: Longman.  
 Schuijjer, Michiel. 2008. *Analyzing Atonal Music: Pitch-Class Set Theory and Its Contexts*. Rochester: University of Rochester Press.

<sup>1</sup> Rahn (1980) defines the following *set types* under cardinality: 0-null set, 1-monad, 2-dyad, 3-trichord, 4-tetrachord, 5-pentachord, 6-hexachord, 7-septachord, 8-octachord, 9-nonachord, 10-decachord, 11-undecachord, and 12-aggregate.

<sup>2</sup> AB substitution (where A=10 & B=11) is another common substitution scheme.

<sup>3</sup> Set classes with fewer than 24 distinct forms are said to be *symmetrical*. This will be discussed in Ch. 3.